# Learning to Track Objects from Unlabeled Videos —Supplementary Material—

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In this supplementary material, we provide more details to complement the manuscript.

#### **1. Box Sequence Generation**

We propose to use dynamic programming (DP) to refine the candidate boxes  $\mathcal{B}$  estimated from optical flow to produce a smooth box sequence  $\mathcal{B}'$ . The detailed algorithm for the DP process is presented in Alg. 1. At every step t in DP, the maximum path reward  $R_t$  is accumulated from the virtual starting box  $B_0$  to box  $B_t$ , as detailed from line 3 to 6. The transition reward  $R_{dp}(B_{t'}, B_t)$  is defined in Eqn. 3 of the manuscript. K indicates the constant reward for selecting a box.

Algorithm 1: DP-based Box Sequence Generation

**Input:** Candidate boxes  $\mathcal{B} = \{B_t \mid 1 \le t \le L\}$ **Output:** Generated box sequence  $\mathcal{B}' = \{B'_t \mid 1 \le t \le L\}$ // Initialize the accumulated reward as K before DP 1  $R_t \leftarrow K$  for  $\forall 1 \leq t \leq L$ ; 2 for  $1 < t \leq L$  do  $t_{max} \leftarrow argmax_{1 \le t' < t} \{ R_{t'} + R_{dp}(B_{t'}, B_t) \};$  // Find optimal box transition at step t 3  $R_{max} \leftarrow R_{t_{max}} + R_{dp}(B_{t_{max}}, B_t) + K;$ // Compute the accumulated reward until  $B_t$ 4 if  $R_{max} \geq K$  then 5  $R_t \leftarrow R_{max}$ ; 6 7 Track back all candidate boxes on the path generated by DP with the highest accumulated reward; s for  $1 \le t \le L$  do if  $B_t$  is selected by DP then 9  $| \quad B'_t \leftarrow B_t ;$ // Directly adopt candidate boxes selected by DP 10 11 else Generate  $B'_t$  with linear interpolation ; // Smooth the generated box sequence 12

When generating box  $B'_t$  with linear interpolation, we choose two nearest candidate boxes  $B_u$  and  $B_v$  (u < t < v) selected by DP around  $B'_t$  as reference. Formally, the interpolation process is formulated as the following equation:

$$B'_t = \frac{v-t}{v-u} \cdot B_u + \frac{t-u}{v-u} \cdot B_v$$

#### 2. Network Architecture

Following the conventional Siamese trackers [1, 2], the proposed naive Siamese tracker takes a  $127 \times 127 \times 3$  template  $z_t$  and a  $255 \times 255 \times 3$  search area  $x_t$  in frame  $I_t$  as inputs, and generates a  $25 \times 25 \times 1$  classification score map  $\mathcal{R}_{cls}$  and a  $25 \times 25 \times 4$  regression map  $\mathcal{R}_{reg}$  as outputs. For cycle memory training,  $N_{mem}$  memory search areas each sized  $255 \times 255 \times 3$ 

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Figure A. Examples of training instances. The first two columns respectively denote the template and the search area for training the proposed naive Siamese tracker, while the remaining columns illustrate the memory search areas. Yellow boxes indicate the generated pseudo bounding boxes. Referring to row 1 - 4, our method succeeds in discovering foreground objects (animal, person, helicopter, etc.) under large appearance changes in complex scenes. Row 5 demonstrates a typical failure case, where the fast moving wave distracts the proposed method from locating the actual foreground object.

are inputted together with the Siamese pair. Based on the intermediate results of forward tracking, a memory queue sized  $N_{mem} \times 7 \times 7 \times c$  is pooled from the deep features of  $N_{mem}$  memory search areas. Multi-scale correlation [3] between the deep features of  $x_t$  and the memory queue generates  $N_{mem}$  correlation maps denoted as  $\{C_{corr}^u \mid 1 \le u \le N_{mem}\}$ , altogether sized  $N_{mem} \times 25 \times 25 \times c$ . For each correlation map  $C_{corr}^u$ , we use two  $3 \times 3$  convolution with padding of 1 to generate a confidence map  $C_{conf}^u$  and a value map  $C_{val}^u$ , both with the same size as  $C_{corr}^u$ . The finally integrated correlation map  $C_{val}^u$ , sized  $25 \times 25 \times c$ , is the weighted sum of  $\{C_{val}^u \mid 1 \le u \le N_{mem}\}$ , with  $\{C_{conf}^u \mid 1 \le u \le N_{mem}\}$  being normalized as element-wise weights (see Eqn. 8). Note that softmax normalization is also conducted in an element-wise manner across all confidence maps. In other words, each softmax operation operates on  $N_{mem}$  elements collected from the same position of the  $N_{mem}$  confidence maps. C is finally converted into a  $25 \times 25 \times 1$  memory map  $\mathcal{R}_{mem}$  via convolution.

### **3. Example Training Instances**

Fig. A provides real training instances. We can see that our box sampling method can discover the foreground objects under large appearance changes in the temporal span.

## References

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